Multiscale Mathematical Modelling of Viral Infection

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COVID-19 pathogenesis.

- 1. SARS-CoV-2 enters the epithelial cell
- 2. SARS-CoV-2 infection induces inflammatory factors
- 3. Antigen presentation of SARS-CoV-2 stimulates humoral and cellular immunity resulting
- 4. In severe COVID-19 cases, the virus reaches the lower respiratory tract and infects type II pneumocytes leading



How Covid-19 affects Brain the body Some patients have suffered strokes, seizures, confusion and brain inflammation Eyes Conjunctivitus, inflammation of the Nose membrane that lines the front of the eye Some patients lose sense of smell. Scientists and inner etelid, is common in the sickest believe virus moves along nose's nerve endings patients and damage cells Windpipe Lungs Virus causes the air sacs in the Bronchii lungs to become inflamed and damaging to the walls - this results in coughs, fevers and laboured breathing. It can lead Heart and blood vessels to a potentially fatal condition Scientists believe infection may known as acute respiratory promote blood clots, heart distress syndrome (ARDS) attacks and cardiac inflammation as the virus binds to ACE2 receptors and enters **Kidneys** cells lining blood vessels Kidney damage is common in severe cases and makes death more likely Liver Intestines Up to 50% of hospitalised patients have indication of Virus can infect lower struggling liver function. The gastrointestinal tract, immune system in overdrive which can cause about or drugs given to fight the 20% of patients to suffer virus may be causing damage from diarrhoea



Concentration of Uninfected and Infected







$$J(I) = \int_{-\infty}^{\infty} I(x,t) dx, \qquad J(V) = \int_{-\infty}^{\infty} V(x,t) dx \qquad 2$$



Analytical solution

$$J(v) = \frac{cu_0}{\beta(\theta)(k_2 + \sigma_1(y))} b(J) = \frac{cu_0}{\beta(\theta)(k_2 + \sigma_1(y))} (b_1 - \alpha(y)J(v)e^{-k_4J(v)})$$
$$w = \frac{cu_0\sigma}{\beta(\theta)(k_2 + \sigma_1(y))} (b_1 - \alpha(y)J(v)e^{-k_4J(v)}), \qquad \sigma = \frac{k_3\sigma_{51}}{\sigma_{20}\sigma_{51} + \sigma_{21}b_4}$$
$$\dots$$
$$c^2 = \frac{D\mu^2(\mu + \beta(\theta))}{(\mu + \sigma_1(y) + k_2)(\mu + \beta(\theta)) - au_0b(J)e^{-\mu\tau}}$$



parameter	numerical	analitical
J(v)	17334.7119	17450.6305
w	34673.7332	34901.2610
wave speed	0.0225	0.0228

Concentration of Uninfected and Infected



Концентрация зараженных клеток в разные моменты времени

Concentration of Virus





Скорость волны



Вирусная нагрузка вне зараженной ткани 10000 8000 b3 6000 b4 M s4 s11 s21 beta 4000 2000 0.6 0.8 1.0 1.2 1.4 1.6 1.8 2.0 parametrs



Conclusion

- Numerical and analytical calculations of the model taking into account circulating virus were performed.
- The dependence of the wave velocity and viral load on the parameters of the initial and adaptive immune response was obtained.
- The influence of the intensity of the initial and adaptive immune response on the rate of virus spread and total viral load was evaluated.

Thank you for your attention